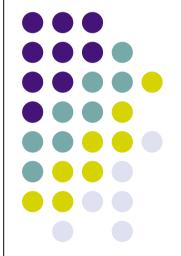
#### Verification of the IBM System Automation's Expert System

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#### Overview



- Introduction IBM System Automation for OS/390
- Presentation of the built-in Expert System
- Consistency Criteria of the Rule Set
- Verification Methodology
- Results
- Conclusion



#### **IBM System Automation (SA)**

Automates operation of computer centers:

- Starting/stopping of applications (taking *dependencies* into account)
- Moving of applications between computers (e.g. on failure, for workload balancing)
- Supervision (active monitoring) of applications (current status? failure? system's workload?)
- Failure detection and error recovery

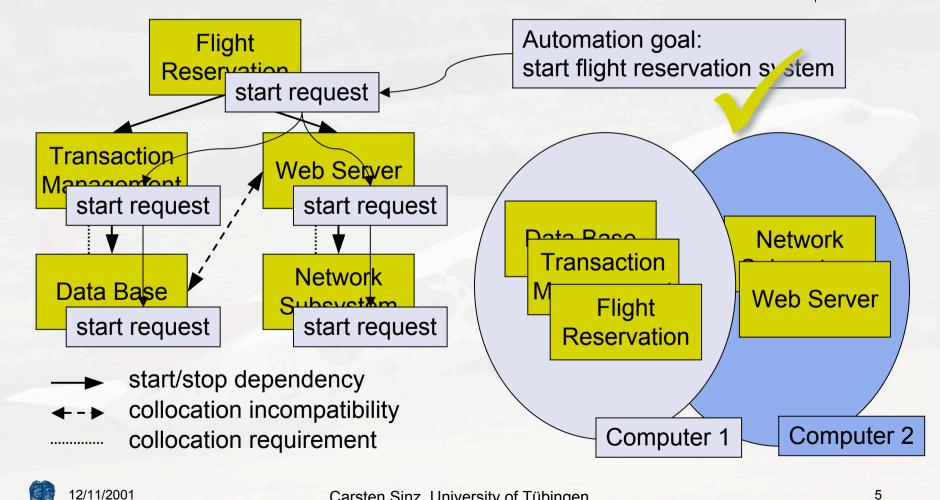


### IBM System Automation (SA) (cont'd)

- Actions driven by Automation Goals, e.g.
  - start application A
  - move application B from  $S_1$  to  $S_2$
- Grouping allows simplified automation of complex applications.
- Plans generated and executed by Automation Manager



#### **SA Example: Flight Reservation System**



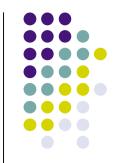
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# The Expert System of SA's Automation Manager

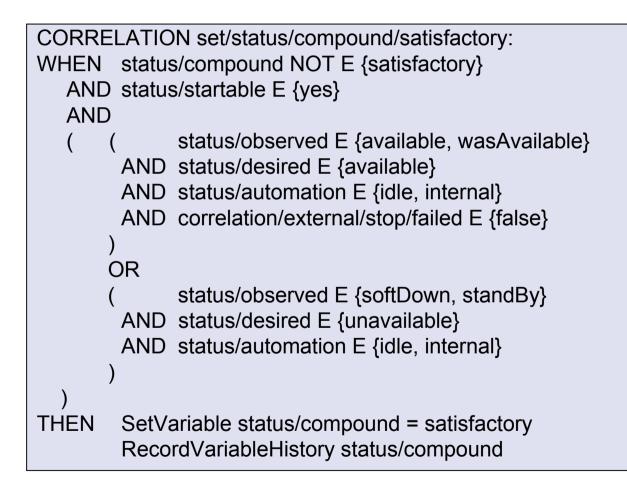


- Contains rules for each resource (application, computer system)
- Computes status of resources, propagates start/stop requests
- Situation-action rules (WHEN-THEN) for setting variables





#### **Expert System: Rule Example**







#### SA's Expert System: Example

correlati when and and then	on rule1: app1/state = down app1/goal = up app1/dependencies = fulfilled app1/state = up	correlati when and then	on rule2: app1/state = up app1/IOError = true app1/state = down
	app1/goal = up app1/dependenci app1/IOError = tr rule trule app1/state = down	es <b>⊽nfelfi</b> lleo <sup>ue</sup> then 1 2	on rule3: d app1/IOError = true app1/dependencies = pending te = up
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#### **Verification Method**



- Converting the rules to PDL (propositional dynamic logic)
- Formulating consistency properties in PDL
- Converting consistency properties to BOOL (Boolean or propositional logic)
- Running an Automatic Theorem Prover (ATP)
- Simplifying the result of the ATP



#### Verification Step 1: Converting Rules to PDL

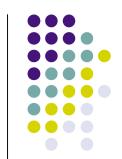


PDL allows reasoning about programs  $\alpha$ , $\beta$ :

- $\alpha;\beta$  consecutive execution
- $\alpha \cup \beta$  nondeterministic choice
- $\alpha^*$  finite, nondeterministic repetition
- F? test for property (formula) F
- [ $\alpha$ ]*F* after all terminating executions of  $\alpha$  *F* holds
- $\langle \alpha \rangle F$  there is a terminating program run of  $\alpha$  after which *F* holds
- $\Delta \alpha$  the program  $\alpha^*$  can diverge



#### Verification Step 1: Converting Rules to PDL (cont'd)



1. Conversion of finite domains

New propositions  $P_{v,d}$  for each variable v and each possible value d of v.

- 2. Introduction of atomic programs Atomic programs  $\alpha_{v,d}$  for the assignment operation v=d.
- 3. Translation of rules

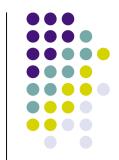
when  $F_{v,d}$  then  $\alpha_{v,d}$  is translated to  $(F_{v,d} \land \neg P_{v,d})?;\alpha_{v,d}$ .

4. Translation of Single Step Program S and Automation Manager Program AM

$$\mathbf{S} = \bigcup_{v,d_v} \left( F_{v,d_v} \land \neg P_{v,d_v} ?; \alpha_{v,d_v} \right) \quad \mathbf{AM} = \mathbf{S}^*; \bigwedge_{v,d_v} \left( F_{v,d_v} \Longrightarrow P_{v,d_v} \right)?$$



#### Verification Step 2: Consistency Properties in PDL

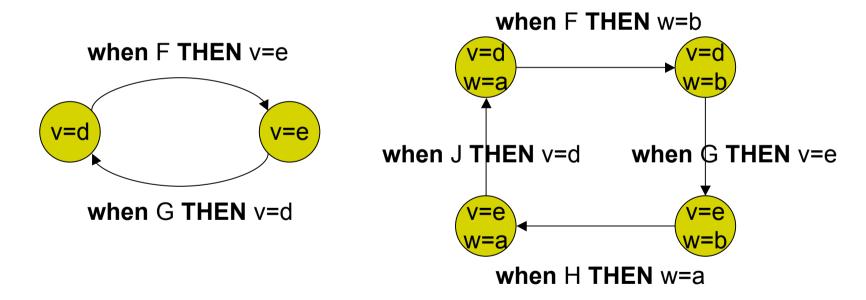


- Functionality (unique result of computation):  $\langle AM \rangle p \Leftrightarrow [AM]p$  (for all propositions p)
- Termination:
  - $\neg \Delta S$  ( $\Delta$  is the divergence operator)
- other consistency criteria, e.g. confluence



#### **Termination / Loops**

All non-terminating programs caused by *program loops*, e.g.:





#### Verification Step 3: Termination Property in BOOL

• Preliminary: Proper restriction  $F|_{v=d}$ 

$$P_{w,e}\Big|_{v=d} = \begin{cases} T & \text{if } v = w, d = e \\ \bot & \text{if } v = w, d \neq e \\ P_{w,e} & \text{if } v \neq w \end{cases}$$

allows specification of properties concerning multiple program states:

Let 
$$s_0 \xrightarrow{v=d} s_1$$
. Then  $s_1 \models F$  iff  $s_0 \models F|_{v=d}$ .



#### Verification Step 3: Termination Property (cont'd)

#### Example:

- Potential 2-loop:  $s_0 \xrightarrow{\nu=d_1} s_1 \xrightarrow{\nu=d_0} s_0$
- Corresponding rules: when F then v=d<sub>1</sub>

when G then  $v=d_0$ 

• Then validity of the formula

 $\neg (P_{v,d_0} \wedge F \wedge G|_{v=d_1})$ 

is a necessary condition for the absence of this 2-loop.

• Actual occurrance of error may depend on rule evaluation order.

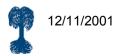




#### Verification Step 3: Termination Property (cont'd)

- In SA ordered evaluation of variables (x<y<z<...), where x<y denotes that x is evaluated before y.
- Extended property indicating absence of 2-loops considering variable evaluation order:

$$\bigwedge_{w < v, d_w} (F_{w, d_w} \Rightarrow P_{w, d_w}) \Rightarrow \neg (P_{v, d_0} \land F \land G|_{v = d_1})$$



#### Verification Step 4: Automatic Theorem Prover

- Formulas generated in verification step 3 provide input for standard ATP program, e.g.
  - Davis-Putnam style prover (SAT)
  - BDDs (binary decision diagrams)
- Output is one of:
  - "no error" resp. list of counterexamples (SAT)
  - "no error" resp. formula representing all counterexamples (BDDs)



#### Verification Step 5: Simplification of Result



• In case of error,

$$\mathrm{EF} := \bigwedge_{w < v, d_w} (F_{w, d_w} \Longrightarrow P_{w, d_w}) \implies \neg (P_{v, d_0} \land F \land G|_{v = d_1})$$

is not valid, but formula representing counterexamples may be huge.

 Simplification: remove irrelevant variables (not contained in the 2 rules under consideration) by existential abstraction in EF:

 $\exists \vec{X}. \text{EF}$ 

where  $\vec{X}$  contains all irrelevant variables.



#### Results



- Input Formulas:
  - Computation of resource's compound status, 3 errors (rule overlap)
  - 41 rules, 74 variables, ≈1500 symbols
- SAT
  - Runtimes for proving non-looping properties: <1 sec.
  - Formulas for loop errors have relatively large number of models (270-405) representing individual error cases.

#### • BDD

- Generation time: 1-2 sec.
- Generated BDDs have ≈100-200 nodes.
- Simplification reduces number of error cases to 1-3.



## **Summary / Conclusion**

- Goal:
  - Error detection in Rule-Based Expert Systems
- Method:
  - Conversion of consistency properties to SAT
  - Application of current SAT-checking technology
- Benefits:
  - Correctness assertions possess high quality
  - Compared to testing: covers all possible cases
  - Generates generalized error patterns



#### Thanks for your attention!

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